

# Photo Injector Test facility at DESY, Zeuthen site.

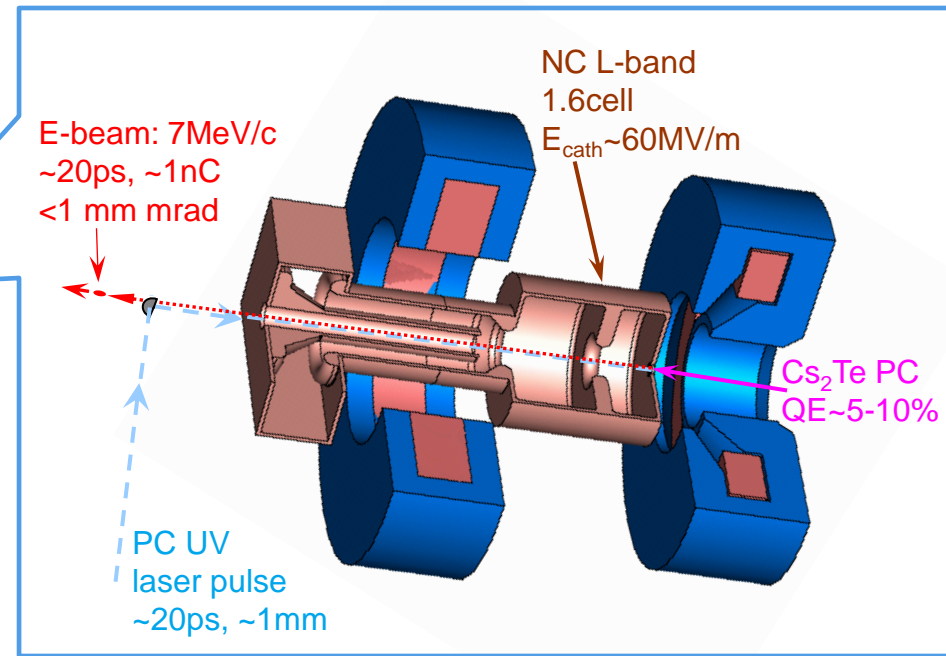
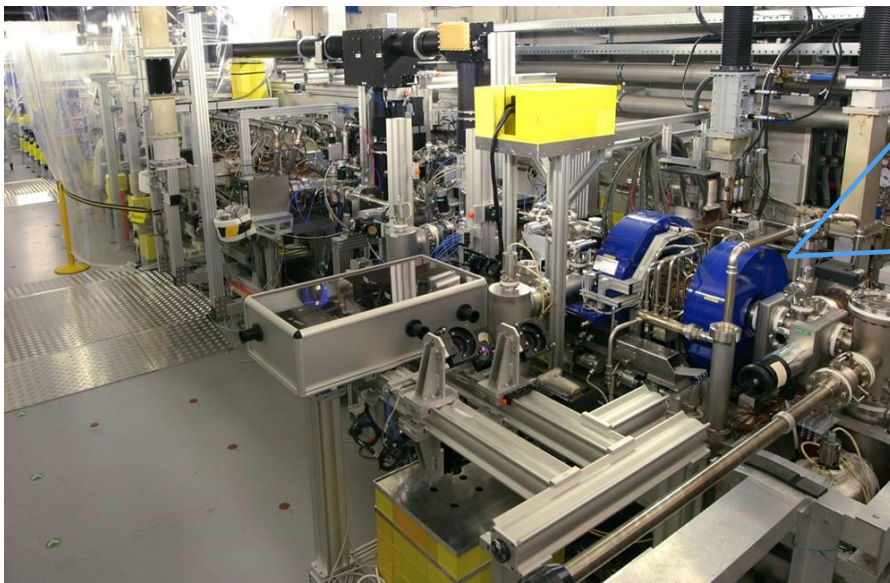
## Space charge dominated photoemission at PITZ

Mikhail Krasilnikov (DESY) for the PITZ Team

European Workshop on Photocathodes for Particle Accelerator Applications / EWPA 2017  
20-22.09.2017, Helmholtz-Zentrum Berlin, Germany

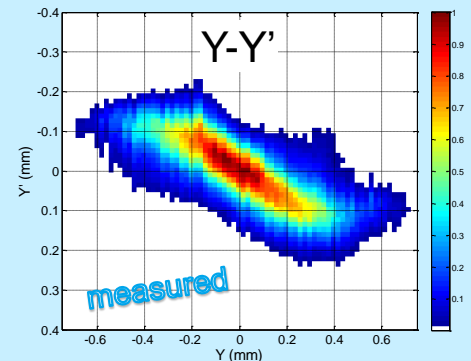
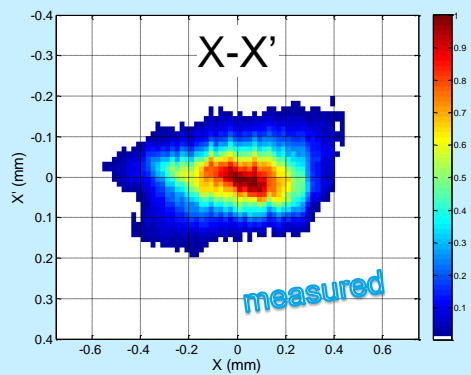
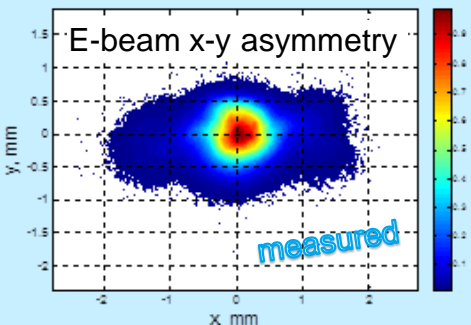
# Photo Injector Test facility at DESY, Zeuthen site (PITZ)

- PITZ → development, test and optimization of high brightness electron sources for sc linac driven FELs:  
⇒ test-bed for FEL injectors: FLASH, the European XFEL (gun cavities and subsystems, e.g. photocathode laser)  
⇒ **High brightness** → small  $\varepsilon_{x,y}$  (projected and slice)  
⇒ further studies → e.g. **photocathodes (PC)**: dark current, **photoemission**, QE, thermal emittance, ...  
+ **detailed comparison with simulations = benchmarking for the PI physics**

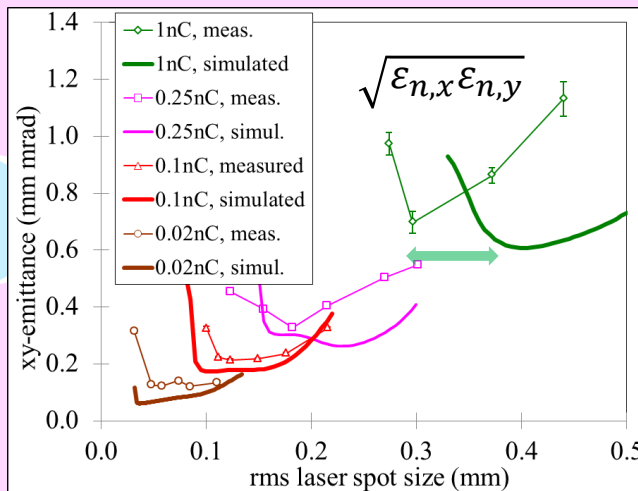


# PITZ: Simulations versus Measurements

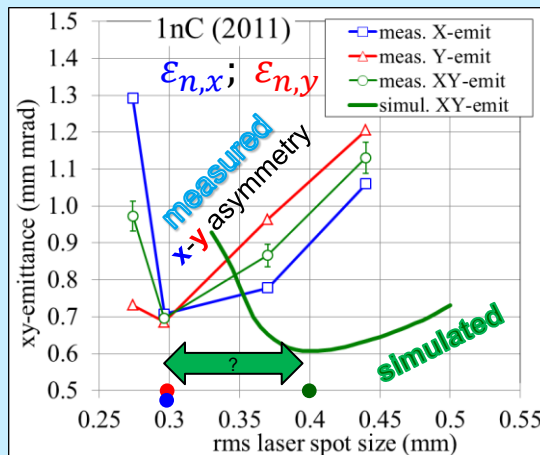
## Asymmetry → kick?



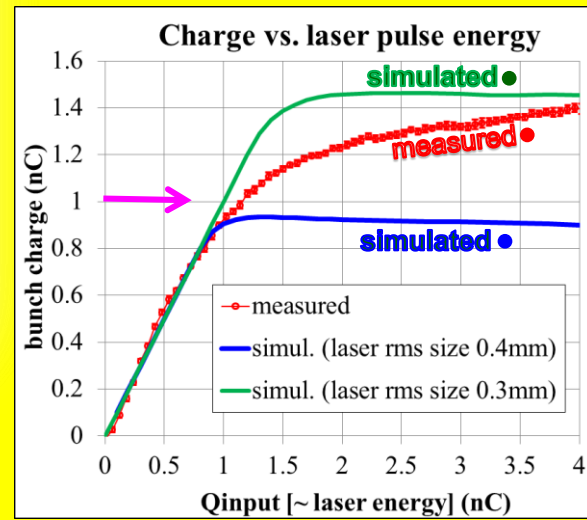
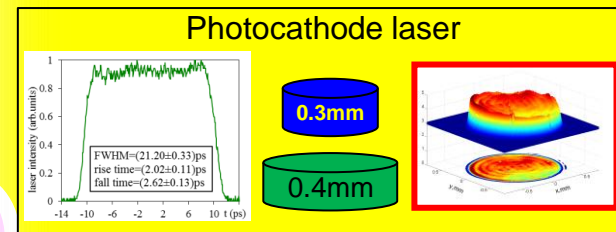
## Space charge



M. Krasilnikov et al., PRSTAB 15, 100701, 2012.



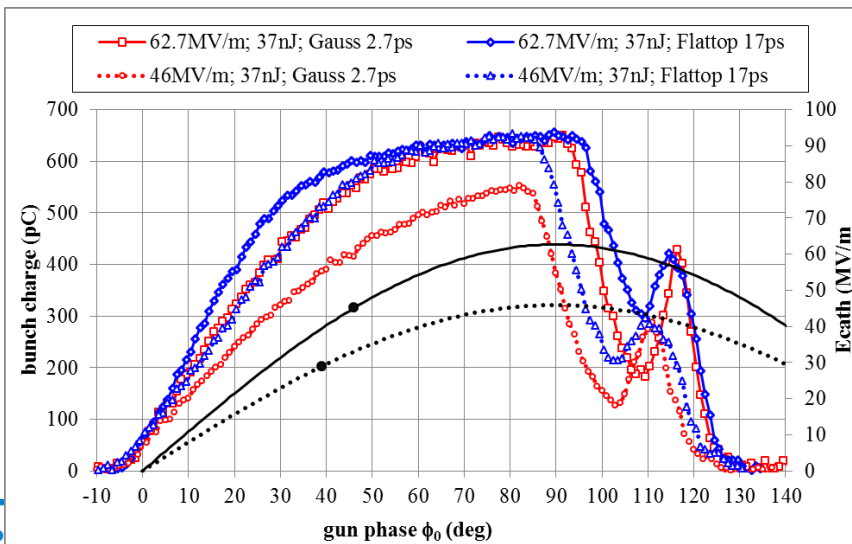
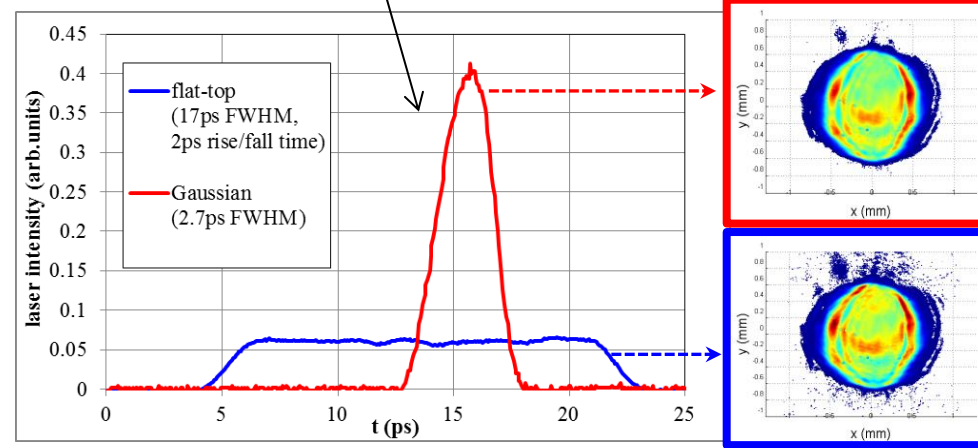
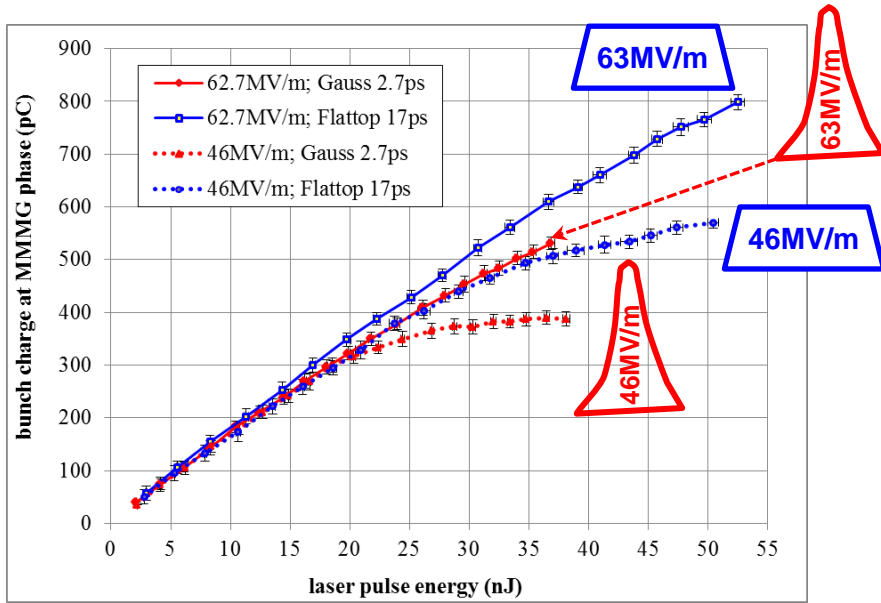
## Charge production



Experimental emittance minimization:  
 optimum PC laser spot size (space charge density) → **transition:** linear (QE-limited) to saturated (SC limited) regime

# Photoemission: impact of RF gradient and laser pulse temporal profile

Experiment → Emission curves: bunch charge  $Q(E_{cath}, \varphi_0^{MMMG}, E_{laser}, \text{Laser temporal profile})$



From the parallel plate capacitor (sheet beam) model:

$$Q_{SC-lim} = \pi \epsilon_0 R^2 E_0 \sin \varphi_0 = \pi \epsilon_0 R^2 E_{cath}$$

E.g. for  $E_{cath} = 50 \frac{MV}{m}$ ;  $R = 0.6 mm$ ;

$$Q_{QE-lim,PPCM} \cong 500 pC \ll \text{observed!!!}$$

Photoemission depends on:

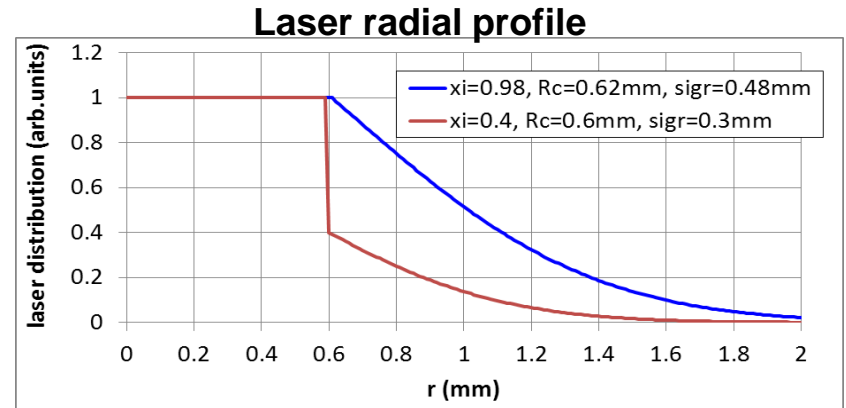
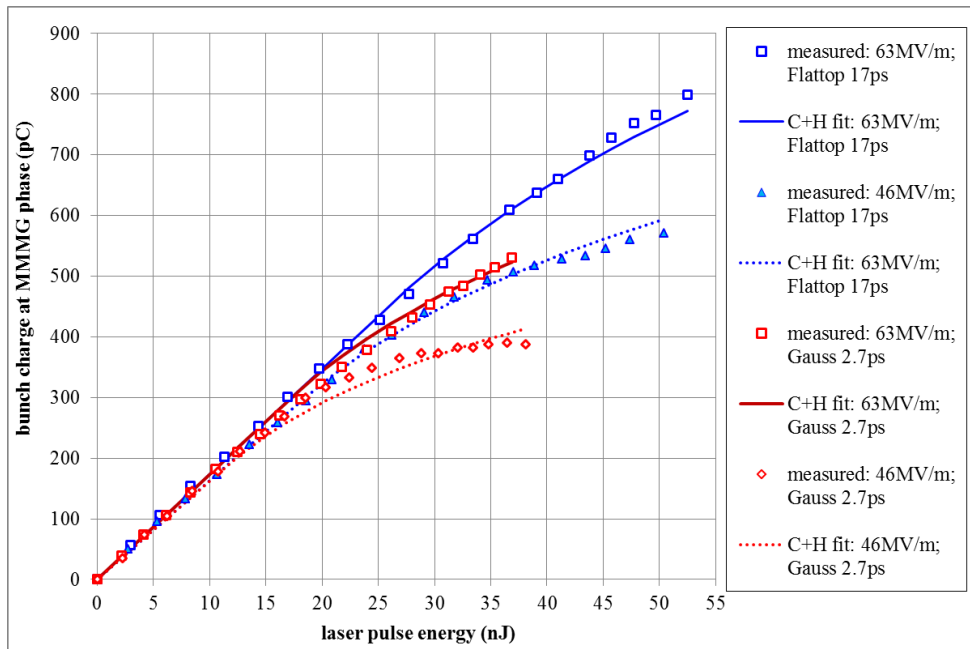
- $E_{cath} \rightarrow$  **Schottky**(like) effect
- Laser pulse **duration**  $\rightarrow$  space charge effect
- Emission curves  $Q(E_{laser})$  **saturate** weaker



# Photoemission: laser transverse halo modeling

Laser transverse distribution:  
Core + Halo model (C+H)

$$F_l(r) = \frac{E_l}{\pi R_c^2 + 2\pi\xi\sigma_r^2} \begin{cases} 1, & \text{if } r \leq R_c \\ \xi e^{-\frac{R_c^2 - r^2}{2\sigma_r^2}}, & \text{if } r > R_c \end{cases}$$



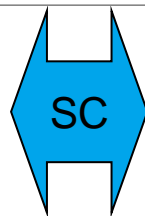
$$Q = Q_{core} + Q_{halo}$$

$$Q_{core} = \frac{1}{1 + \xi \cdot \eta} \begin{cases} Q_{exp}, & \text{if } Q_{exp} \leq Q_{max} \\ Q_{max}, & \text{if } Q_{exp} > Q_{max} \end{cases}$$

$$Q_{halo} = \frac{\eta}{1 + \xi \cdot \eta} \begin{cases} \xi \cdot Q_{exp}, & \text{if } \xi \cdot Q_{exp} \leq Q_{max} \\ Q_{max} \cdot \left(1 + \ln \frac{\xi \cdot Q_{exp}}{Q_{max}}\right), & \text{if } \xi \cdot Q_{exp} > Q_{max} \end{cases}$$

$$Q_{max} = \rho_{scl} \cdot (\pi R_c^2 + 2\pi\xi\sigma_r^2)$$

$$\frac{\rho_{scl}(flat - top)}{\rho_{scl}(Gaussian)} \approx 1.51$$



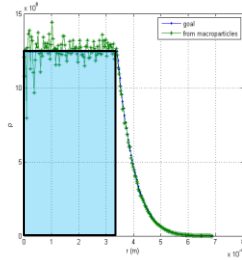
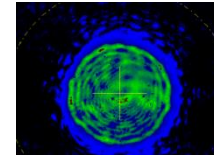
Cathode laser pulse length (FWHM) ratio ~6

**C+H → charge exceed**

# Core + Halo Model applied to ASTRA simulations

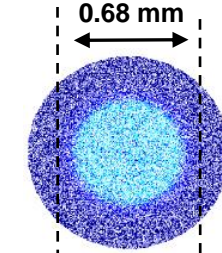
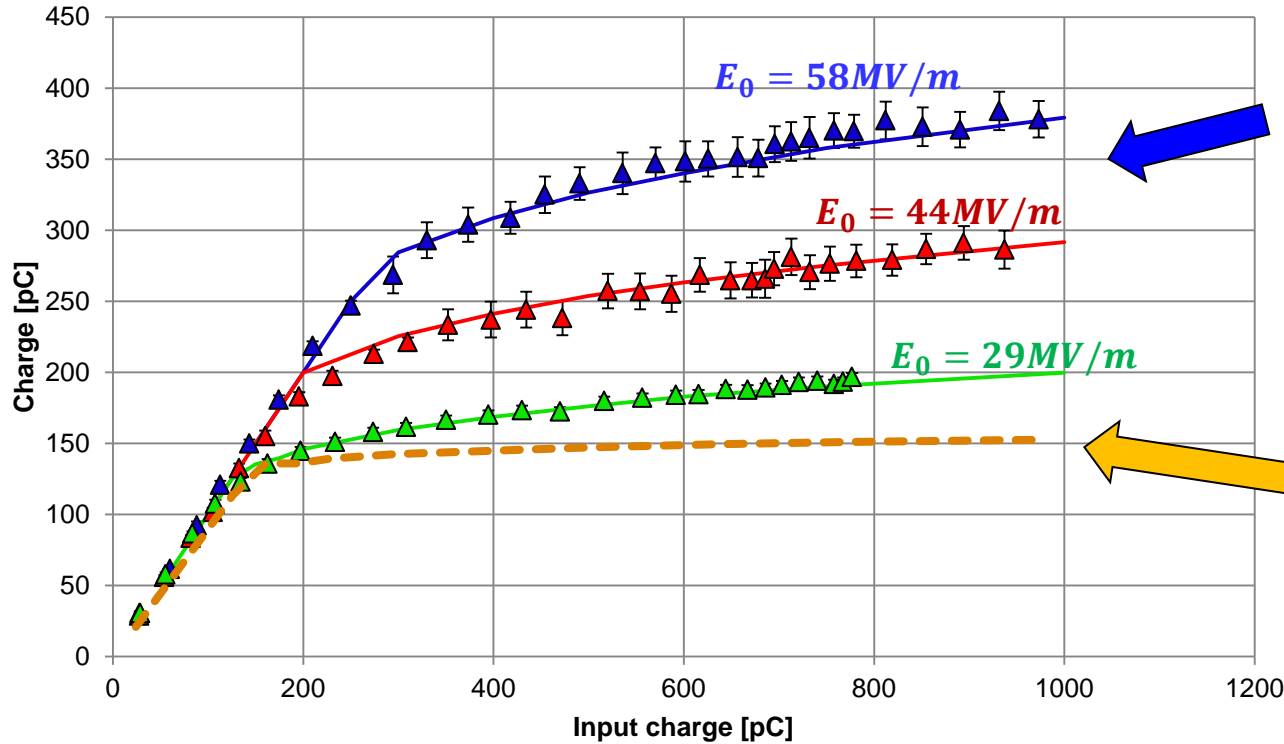
If a uniform distribution is used instead, the charge saturates

Laser radial distribution image

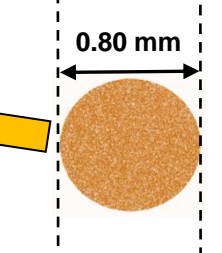


Transverse radial profile core + halo

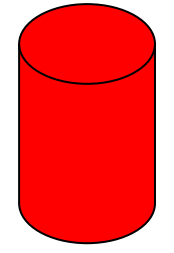
Extracted charge with core + halo for 0.8 mm beam diameter with 1.5 ps rms Gaussian temporal at maximum cathode field ( $\phi_0=90^\circ$ )



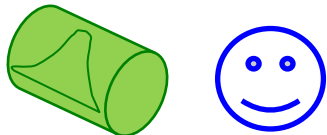
Generated ASTRA input distribution core + halo



Nominal ASTRA input uniform distribution



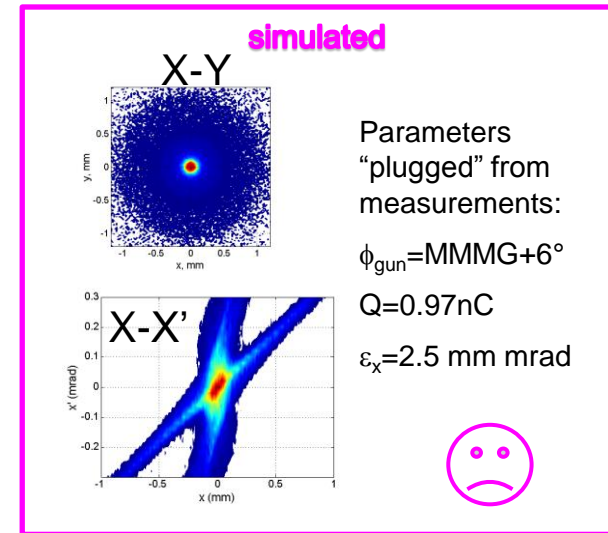
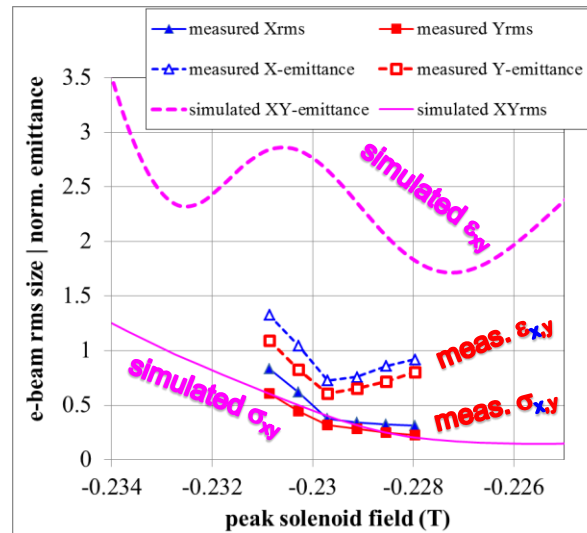
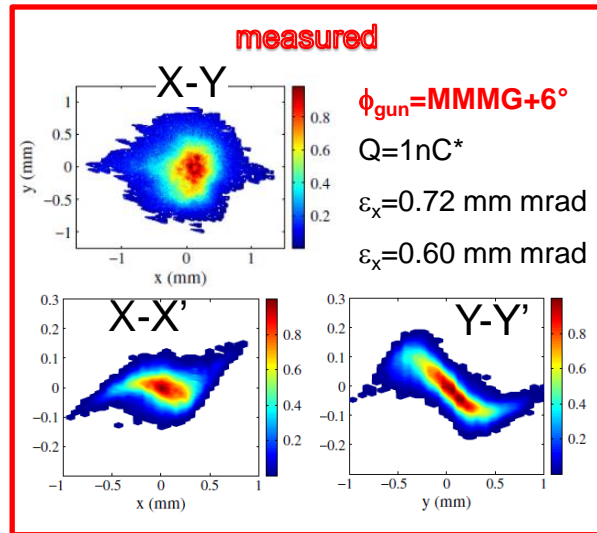
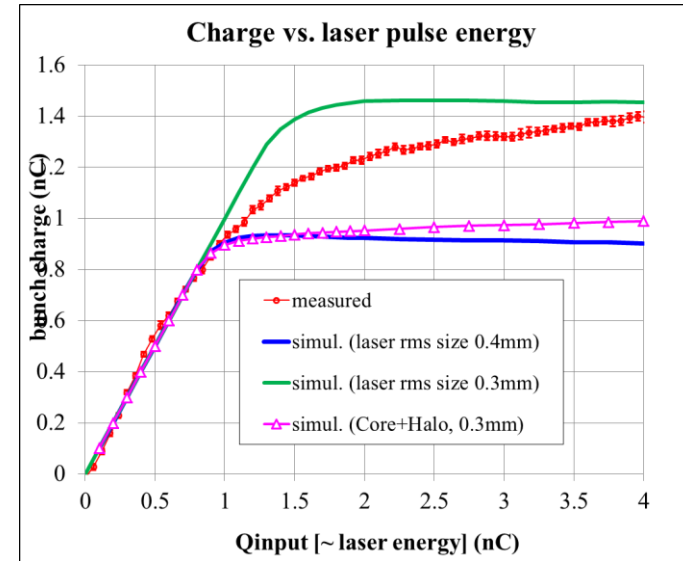
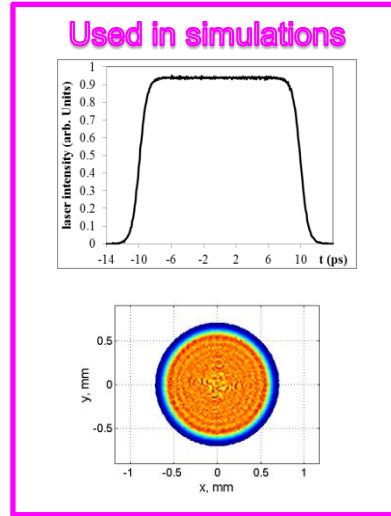
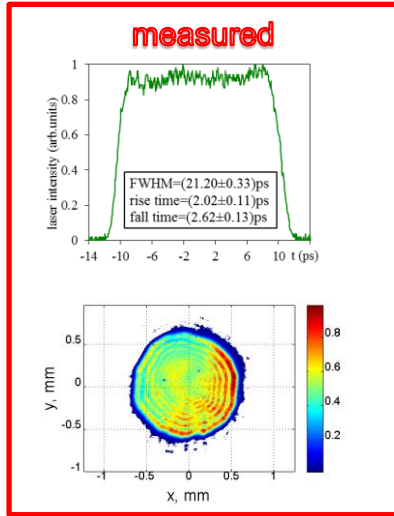
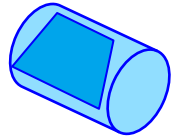
Nominal transverse uniform radial profile



C. Hernandez-Garcia et al., NIM A 871 (2017) 97–104

# ASTRA simulations for 2011 case using Core+Halo

➤ BUT for flattop photocathode laser pulses

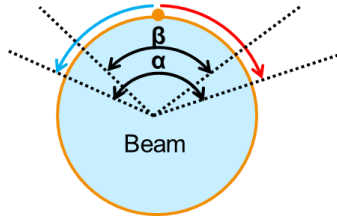
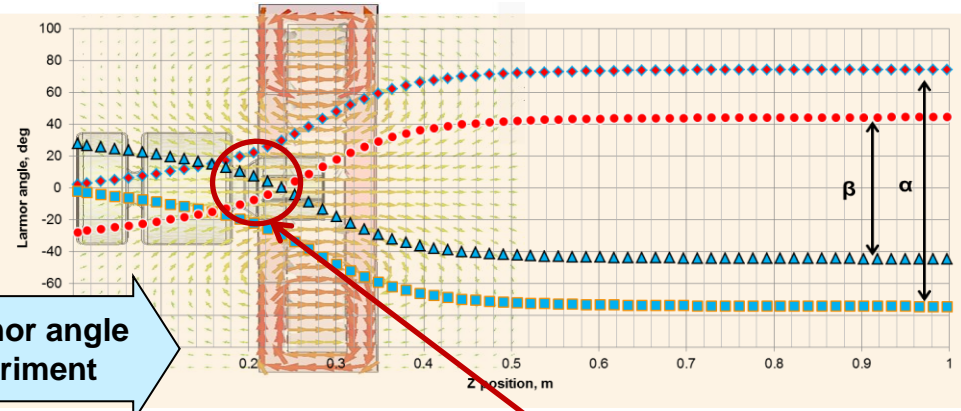


# Electron beam X-Y asymmetry studies at PITZ

## Possible sources of the beam asymmetry:

- Vacuum mirror
- Stray magnetic fields
- Related to the laser polarization
- Particular cathode
- ...
- RF coupler field asymmetry
- Solenoid imperfections (anomalous quadrupole fields)

Larmor angle experiment



Main solenoid max[B <sub>z</sub> ], (I <sub>main</sub> for meas.)	Laser X-Y distribution at cathode		Electron beam X-Y distribution simulated at z=0.18 m	E-beam X-Y distribution at z=5.277 m	
	Measured at VC2	Used in simulations		Simulated	Measured at EMSY1
-0.2087T (-360A) opposite polarity		Core + Halo 			
+0.2087T (+360A) normal polarity					

?45° Kick at z~0.2m → skew quadrupole?

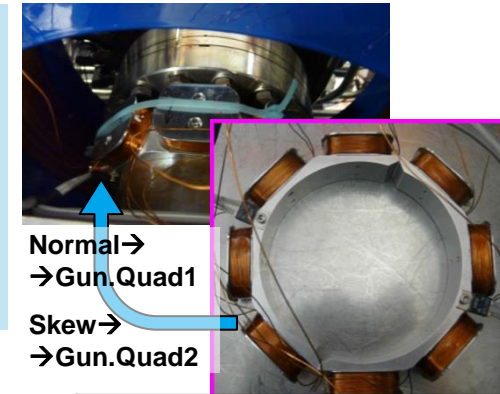
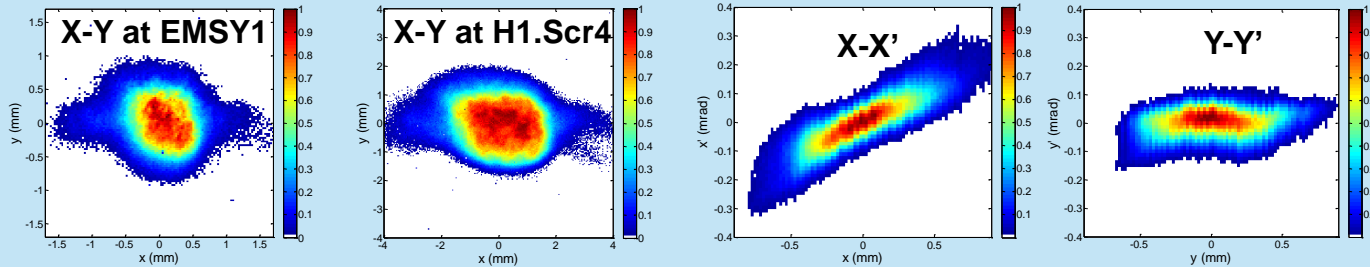


# Electron beam X-Y asymmetry compensation with gun quads

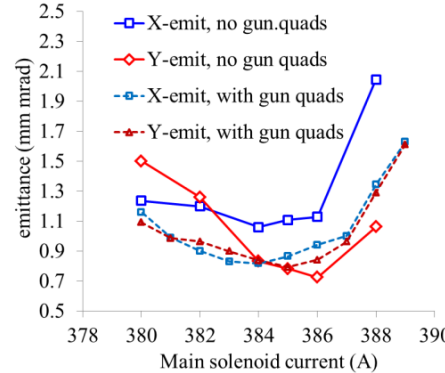
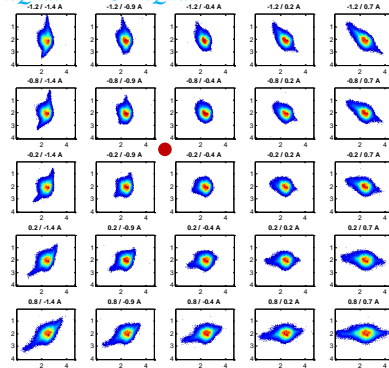
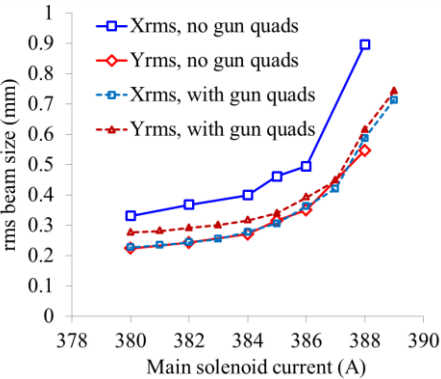
measured

(0.5nC, Gaussian photocathode laser pulse)

## Electron beam measurements **without** gun quadrupoles

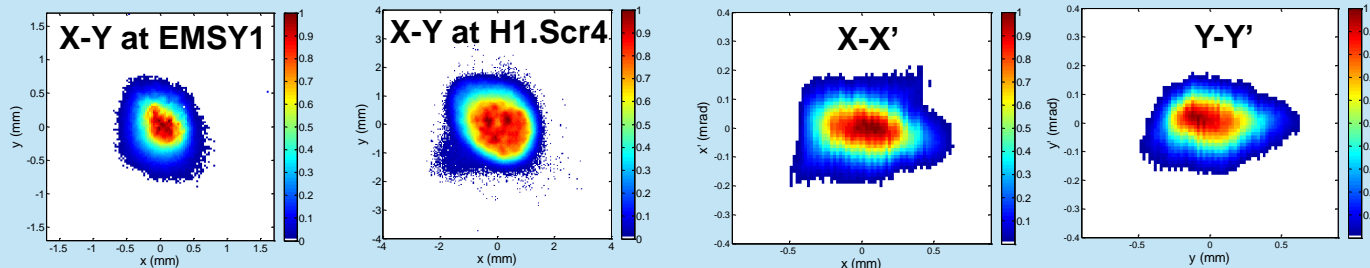


### ( $I_{Gun.Quad1}$ ; $I_{Gun.Quad2}$ ) scan at EMSY1



## Electron beam measurements **with** gun quadrupoles

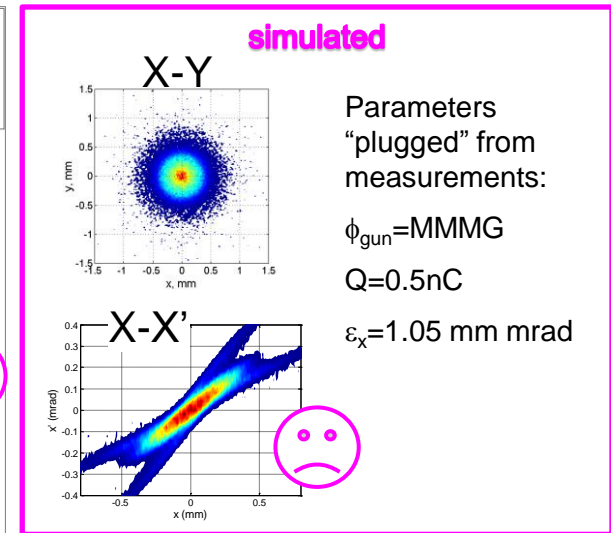
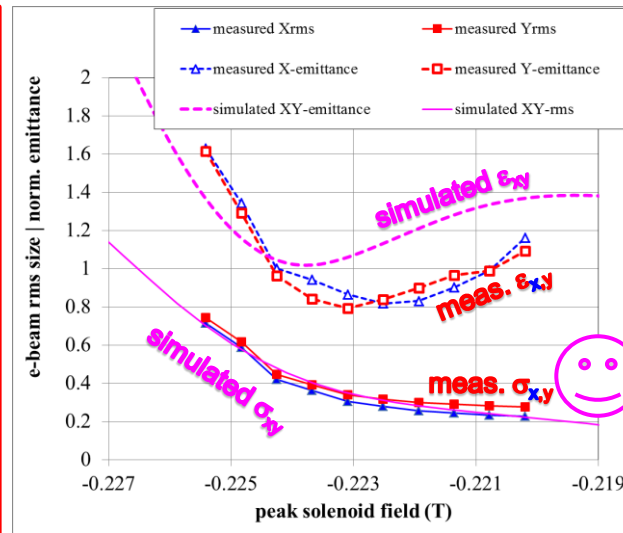
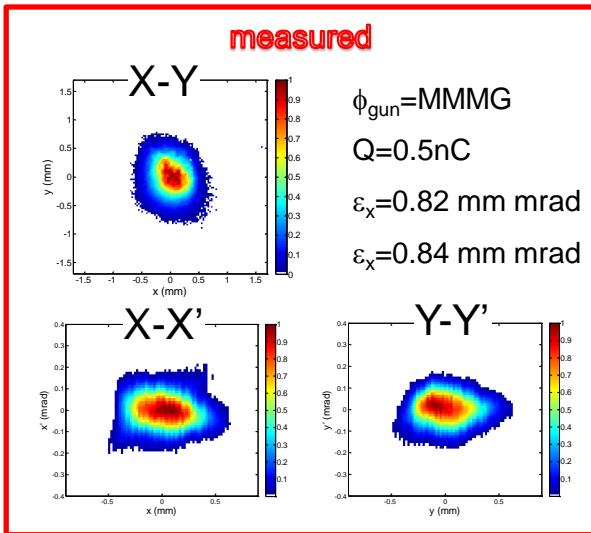
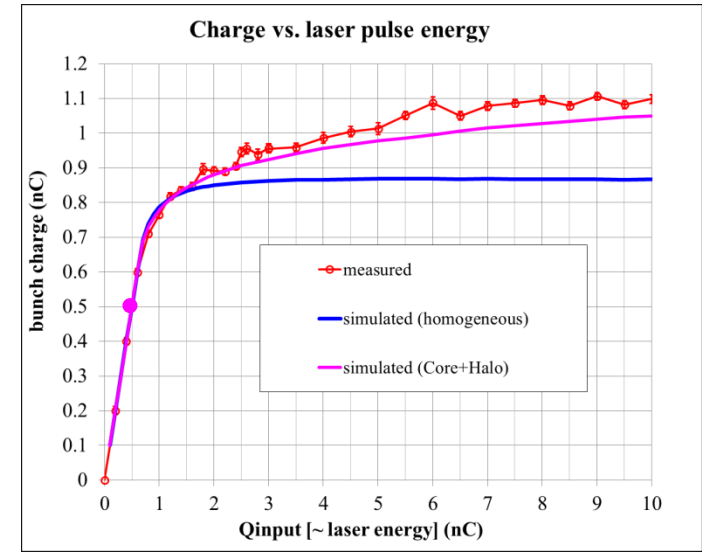
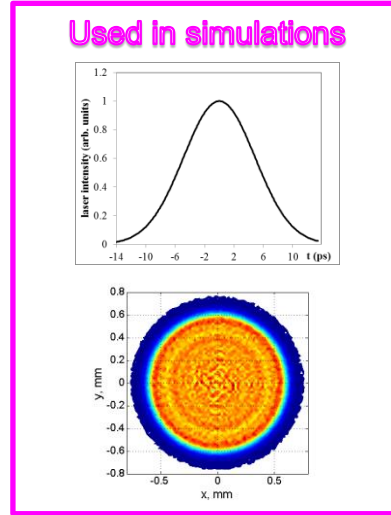
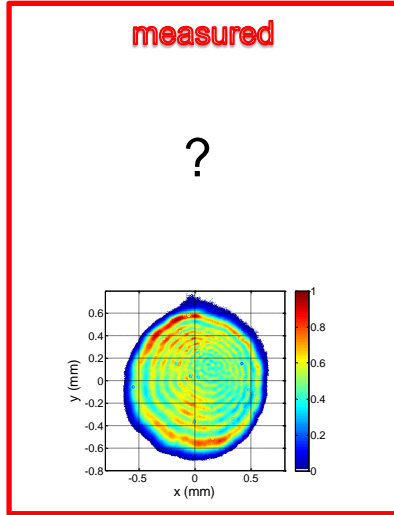
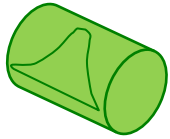
( $I_{Gun.Quad1} = -0.6A$ ;  $I_{Gun.Quad2} = -0.5A$ )



	No gun quads	With gun quads
$I_{main}$ (A)	386	384
$I_{gun.quad1}$ (A)	0	-0.5
$I_{gun.quad2}$ (A)	0	-0.6
$\sigma_x$ @ EMSY1 (mm)	0.50	0.28
$\sigma_y$ @ EMSY1 (mm)	0.35	0.32
$\epsilon_{x,n}$ (mm mrad)	1.13	<b>0.82</b>
$\epsilon_{y,n}$ (mm mrad)	0.73	<b>0.84</b>
$\sqrt{\epsilon_{x,n}\epsilon_{y,n}}$ (mm mrad)	0.91	<b>0.83</b>
$\beta_x$ (m)	6.53	3.18
$\beta_y$ (m)	6.49	3.24
$\gamma_x$ (mrad)	0.56	0.32
$\gamma_y$ (mrad)	0.16	0.31

# ASTRA simulations for Gaussian pulses using Core+Halo

➤ BUT for flattop photocathode laser pulses



# Photoemission from Cs2Te photocathode

## Three step model of photoemission:

**1. Absorption** of laser photons in bulk material and excitation (isotropically distributed) of photo-e<sup>-</sup> → factors:

- reflectivity  $R(\omega)$
- penetration depth  $\delta(\omega)$
- complex dielectric constant  $\epsilon(\omega)$

**2. Transport** of excited photoelectrons to surface with inelastic and isotropic scattering → factors:

- electron energy  $E$
- scattering rates (relaxation times)  $\tau(E)$ , mainly e-p
- mean free path  $l_{MFP}(E) = \frac{\hbar k(E)}{m^*} \tau(E) \rightarrow \frac{\delta(\omega)}{l_{MFP}(E)}$
- scattering factor  $f_\lambda(\cos\theta, E)$
- “fatal” approximation is less applicable...

**3. Emission** → probability of transport over barrier  $V_0$

- barrier height  $E_a$  (measured from conduction band minimum), band gap  $E_g$
- escape cone  $\theta_{max}$
- normal energy  $E \cos^2\theta$  of photo-e<sup>-</sup>:  $P(E > V_0)$ - Heaviside step function of emission probability → Airy function
- Band bending

$$J_{FD*} \propto (\hbar\omega - E_a - E_g)^v$$

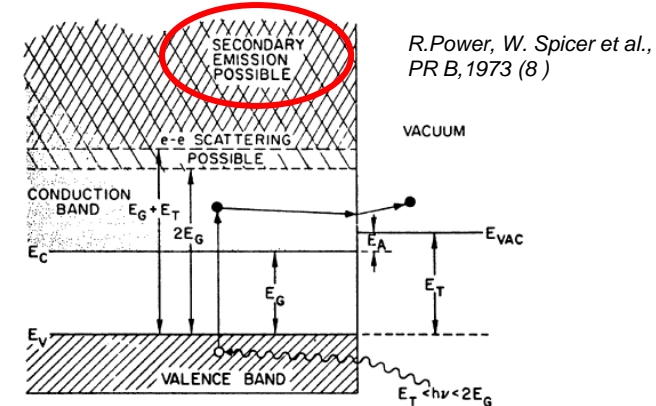
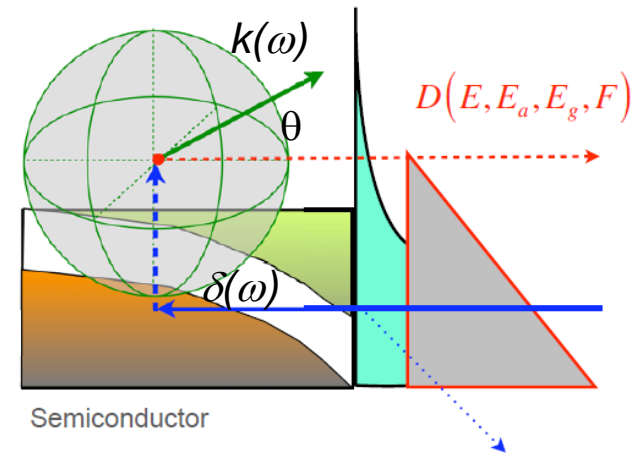
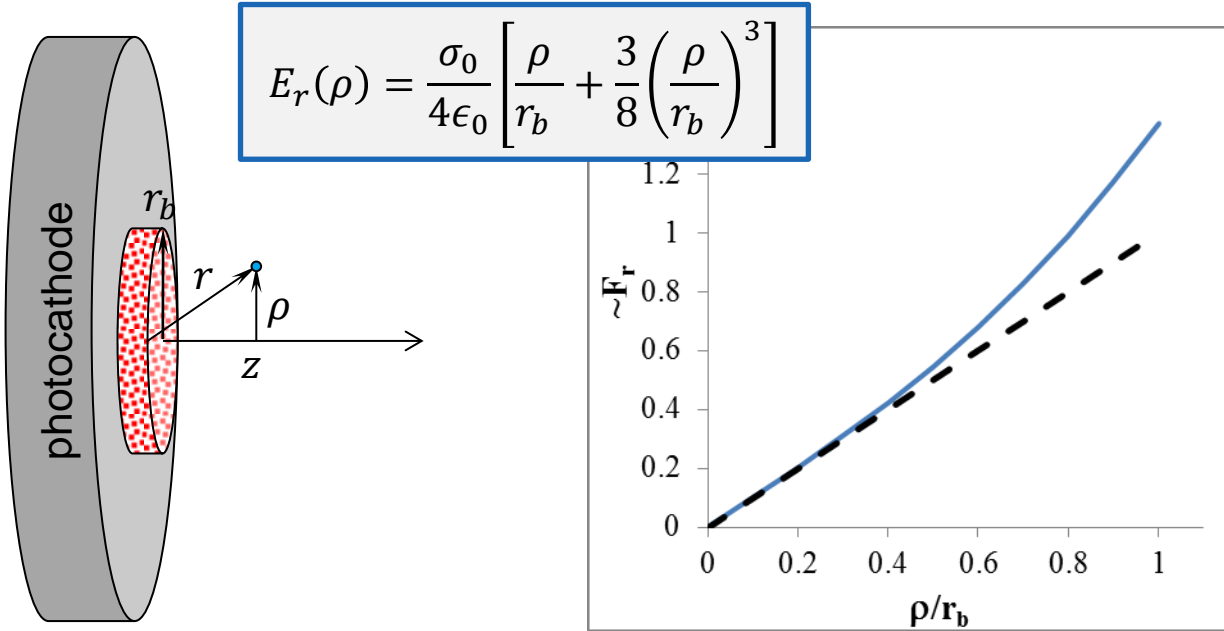


FIG. 3. Schematic energy-level diagram of a semiconductor photocathode where  $E_g \gg E_a$ . The minimum threshold energies for electron-electron scattering ( $2E_g$ ) and for secondary electron emission ( $E_c + E_T$ ) are indicated.

K. L. Jensen “Transfer matrix methods, photoemission and heterostructures”, P3 workshop 2016

# Photoemission: slice emittance formation

Very short non-relativistic bunch at the cathode → nonlinear Lorentz force



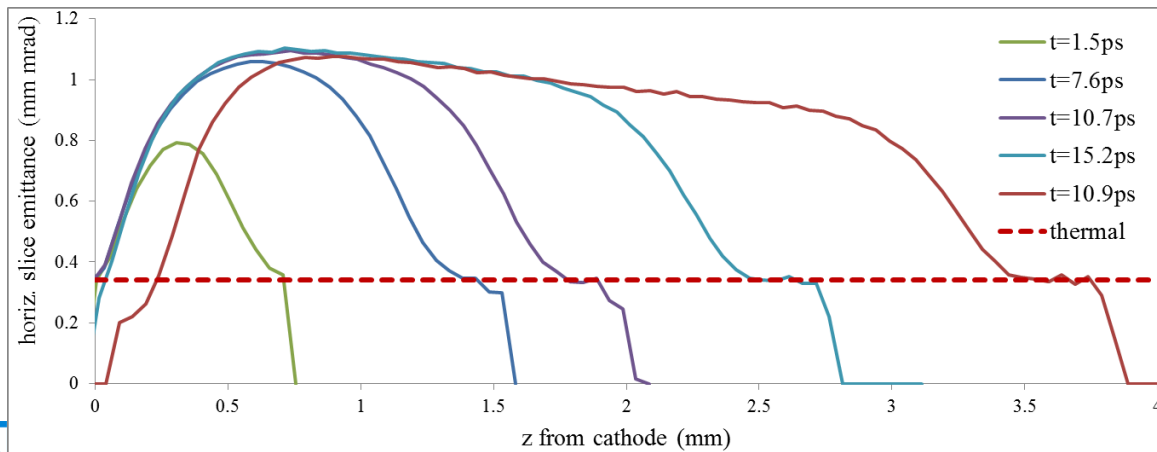
NB: for infinitely long cylinder



$$E_r(\rho) = \frac{Q/V}{2\epsilon_0} \rho$$

$$F_r(\rho) = \frac{eI\rho}{2\pi\epsilon_0\gamma^2\beta cr_b^2}$$

Space charge term in the envelope equation



## Emission in SC tracking or PIC codes:

- Macroparticle distribution  $f(x, y, z=0, t_{start}, p_x, p_y, p_z)$
- **Space charge calculation** (incl. cath. **mirror charge**)
- **Macroparticles reflected back to the cathode ( $z < 0$ )** → lost...

# Photoemission modeling and simulation using a Lienard-Wiechert (LW) approach

## ➤ Motivation

- **Dynamic generation** of emitted particle **distribution** at cathode
- Flexibilities to **incorporate emission models**
- Taking into account **full electromagnetic fields** (RF + space-charge) during emission
- **Improving the agreement** between measurement and simulation

$$\mathbf{E} = \frac{q}{4\pi\epsilon_0} \left[ \frac{(\mathbf{n} - \boldsymbol{\beta})(1 - |\boldsymbol{\beta}|^2)}{(1 - \boldsymbol{\beta} \cdot \mathbf{n})^3 R^2} + \frac{\mathbf{n} \times (\mathbf{n} - \boldsymbol{\beta}) \times \dot{\boldsymbol{\beta}}}{(1 - \boldsymbol{\beta} \cdot \mathbf{n})^3 R} \right]_{t=t_r}$$

$$\mathbf{n} = \frac{\mathbf{R}}{|\mathbf{R}|}, (x - x_r)^2 + (y - y_r)^2 + (z - z_r)^2 = c^2(t - t_r)^2$$

Given N particles' full history to find the EM fields produced by the particles at the observation time

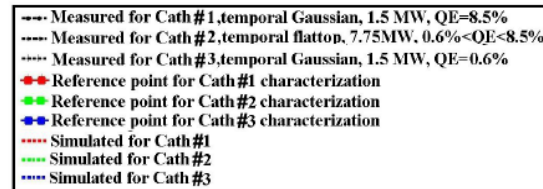
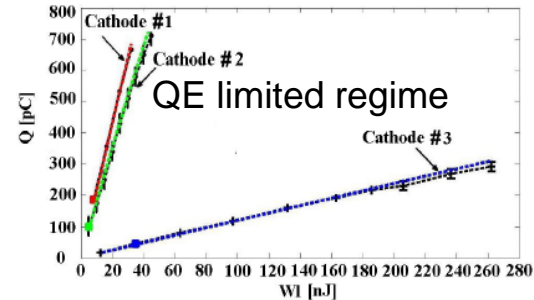
## ➤ LW Approach with 3D emission process

- **LW solution for the electromagnetic field of a charged particle** in arbitrary motion
- **Full particle trajectory** stored and used for field computation
- Accuracy depends only on **time step** and **number of particles**
- Parallelized PP code

Courtesy Ye Chen

## ➤ Status of Application

- **QE limited regime** → OK
- In **space charge dominated regime**, remaining deviations w.r.t. simulations probably due to:



- ✓ Ideal beam distributions initially plugged in the simulations
- ✓ Or/and time dependent work function variation resulting from quantum mechanical effects

- **Field-induced work function modification:**

$$\Delta\Phi_f(r_{\perp}, t) = \sqrt{\frac{q^3}{4\pi\epsilon_0} [E_{rf}(r_{\perp}, t) + E_{sc}(r_{\perp}, t)]}$$

- **Charge production per simulation time step:**

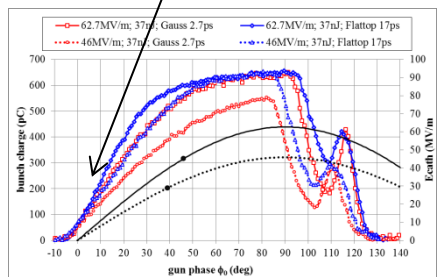
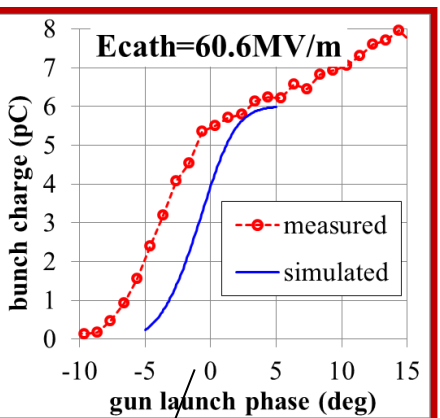
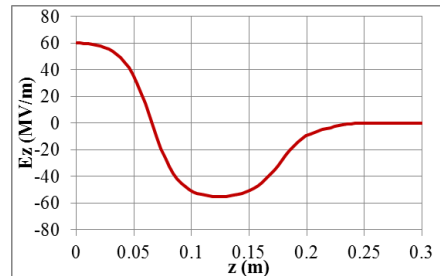
$$dQ(\mathbf{r}_{\perp}, t) = \Delta t \iint_S q \frac{P_l(\mathbf{r}_{\perp}, t)}{h\nu} QE(\mathbf{r}_{\perp}, t) dS$$

$$QE_J = \frac{(1 - R_w) \sqrt{1 + \frac{h\nu - \Phi_w}{E_a}}}{2(p_0 + 1) \left(1 + \frac{E_a}{h\nu - \Phi_w}\right)^2}$$

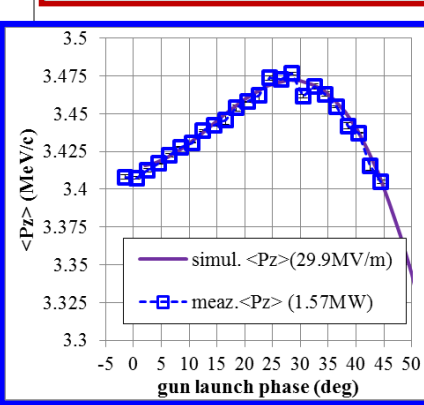
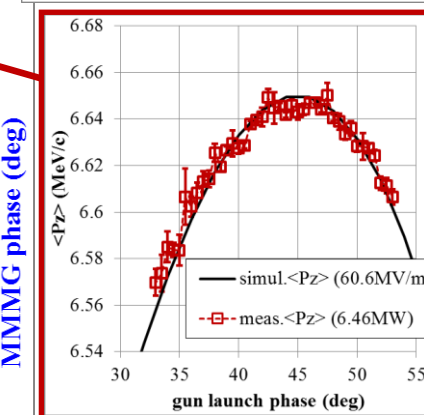
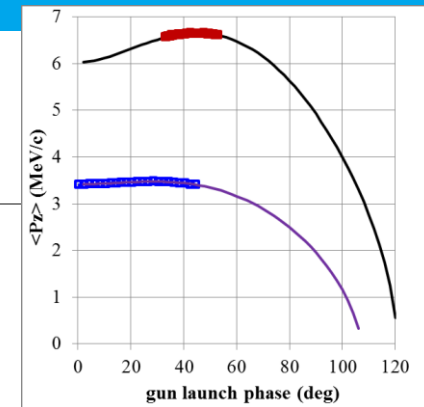
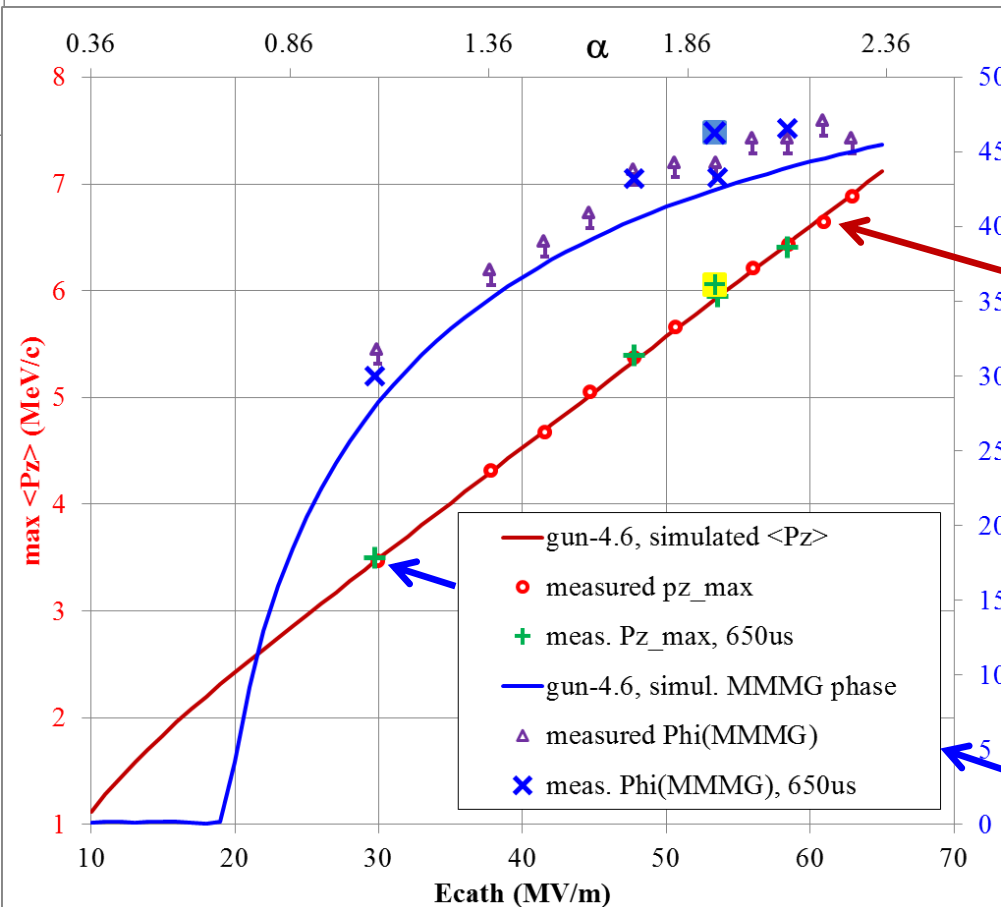
K.L. Jensen, 2007

Some experimental observations  
might be related to photoemission issues

# Gun-4.6 (PITZ): mean momentum and MMMG phase



## Measurements vs. Simulations

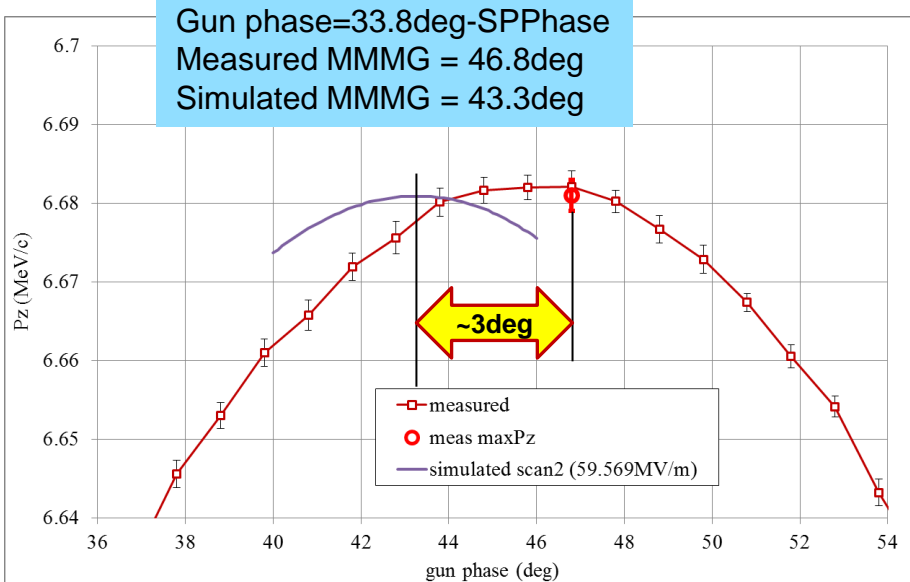
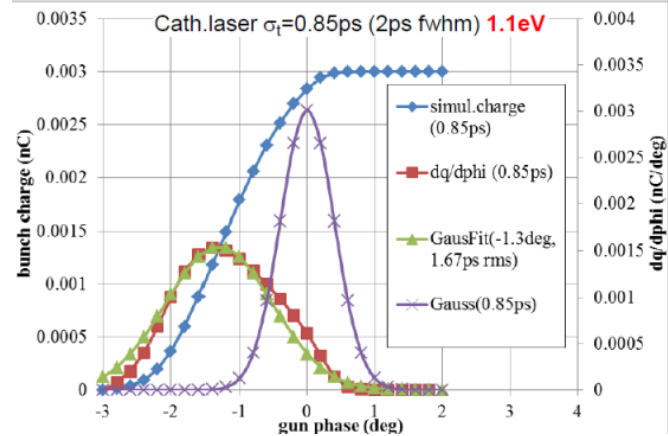
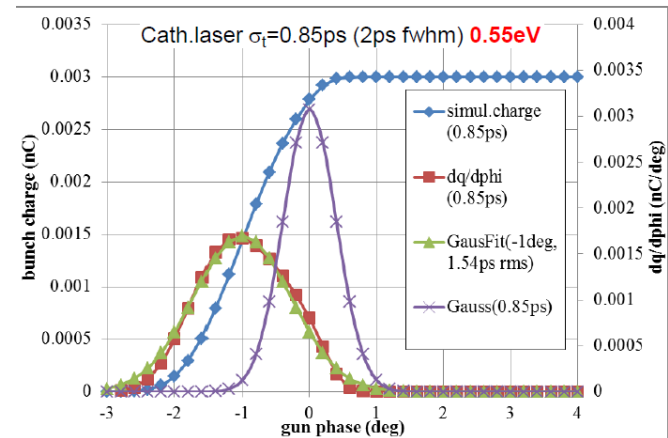
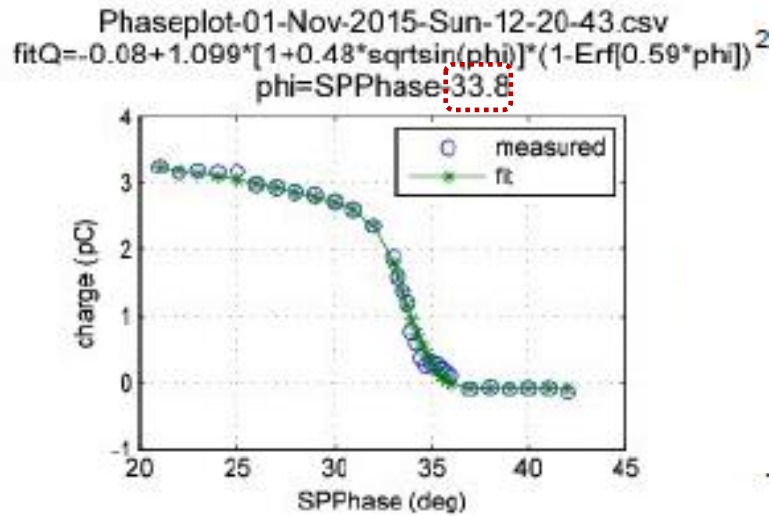


**MMMG = Maximum Mean Momentum Gain**

$$\alpha = \frac{e E_{cath}}{2mc^2 k} \approx 0.047 \frac{E_{cath} [MV/m]}{f [GHz]}$$

# Zero-crossing phase determination

Still not understood: Zero-crossing phase  $\leftrightarrow$  MMMG phase  $\rightarrow$  2-3 deg phase shift between measurements and simulations



cathode laser		$E_{kin}$ (eV)	delta phi	dq/dphi-Gauss.fit	fit- $\sigma_t/\sigma_t$
$\sigma_t$ (ps)	fwhm (ps)		deg	fit- $\sigma_t$ (ps)	
0.85	2	0.55	-1	1.54	1.81
0.85	2.6	1.1	-1.3	1.67	1.96

phase shift

widening



# Another emission related topic at PITZ: slice energy spread

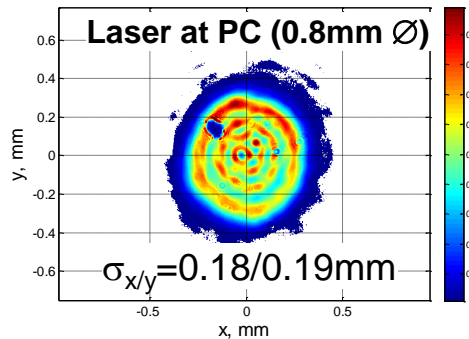
Main idea →  $\delta E$  measurements using **TDS + HEDA2 dipole** for various photo injector parameters (photocathode laser pulse temporal profiles, SC effect, etc.)

$$\delta_E^{measured} \approx \sqrt{(\delta_E^{real})^2 + (\delta_E^\beta)^2 + (\delta_E^{TDS})^2}$$

Still resolution on the slice energy spread seems to be a limiting factor:

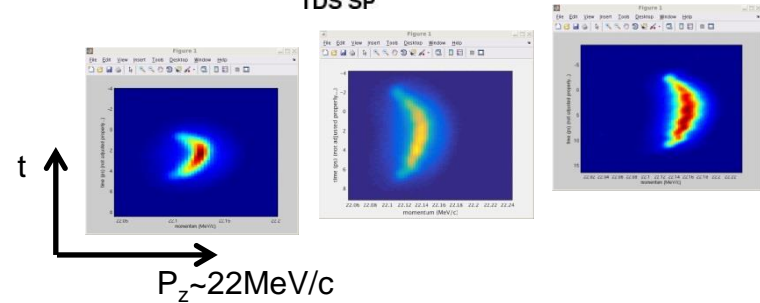
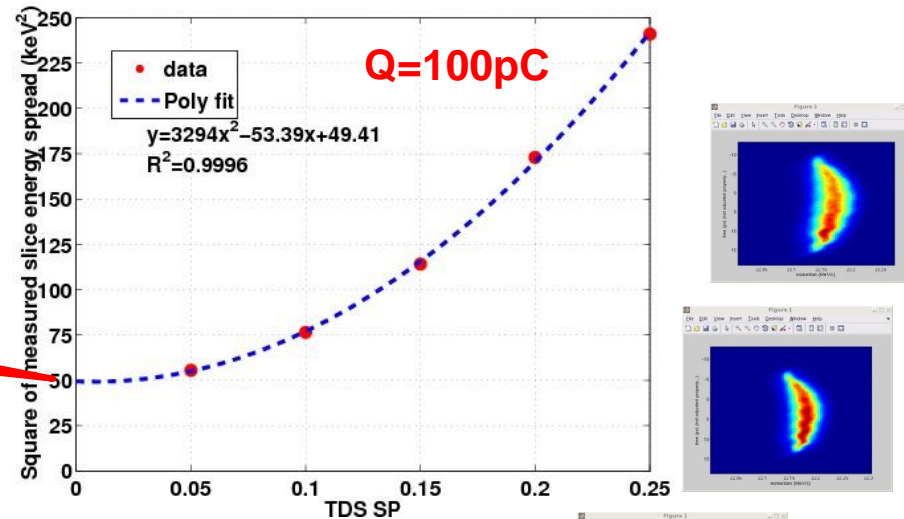
Beam transverse size in the HEDA2 dipole (beta function)  
 TDS induced energy spread (estimated  $\frac{d(\delta E)}{dSP(TDS)} \sim 3 \frac{eV}{MV}$ )

**$\delta E \approx 6.8 \text{ keV}$  for TDS SP=0**



Similar measurements for **short Gaussian (2 ps FWHM) PC pulses**:  
 $\delta E \approx 8.2 \text{ keV}$  for TDS SP=0

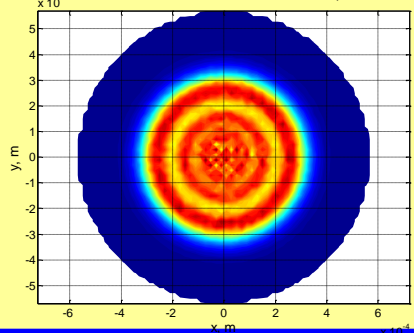
Longitudinal Phase Space (LPS) measurements: TDS SP scan in HEDA2  
 (**Long** Gaussian PC laser pulse, **11.5ps** FWHM)



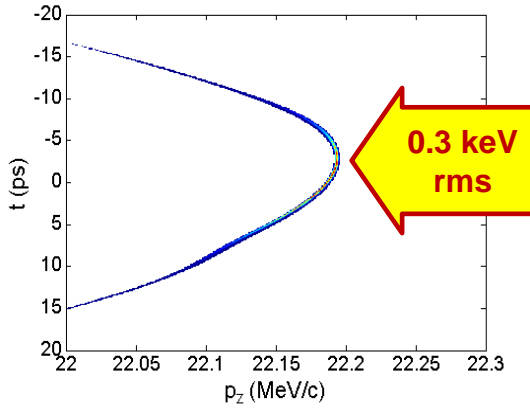
# Slice energy spread: measurements vs. ASTRA simulations

## ASTRA simulations:

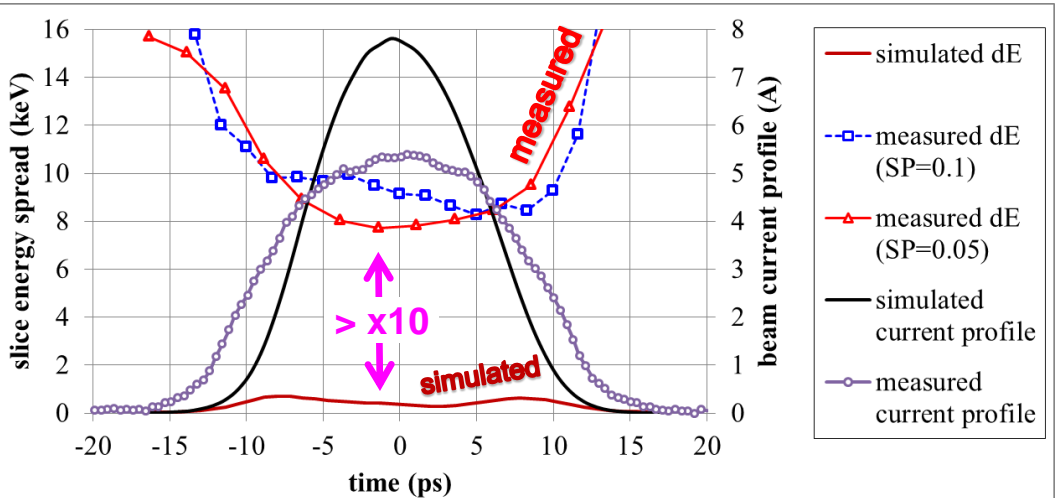
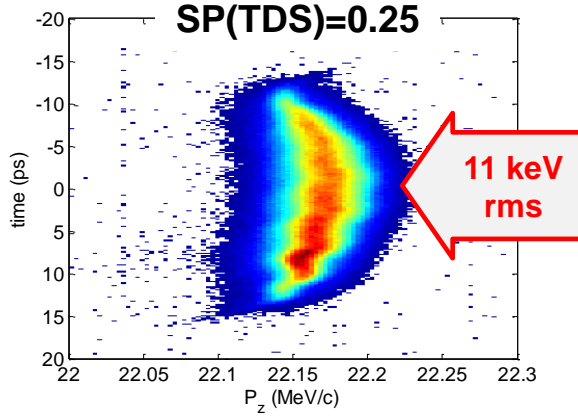
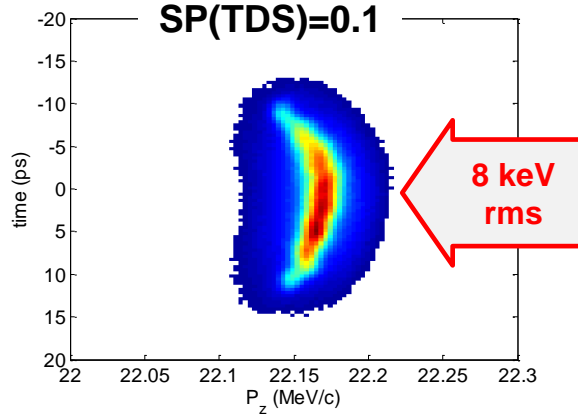
- $Q=100\text{pC}$
- Gun+Booster  $\rightarrow$  =measurements
- PC laser pulse parameters
  - Temporal: Gaussian (11.5 ps FWHM)
  - Transverse: Core+Halo,  $XY_{\text{rms}}=0.186\text{mm}$



### Simulated Long. Phase Space



## Measured Long. Phase Space



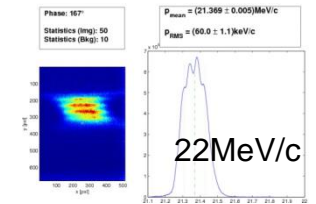
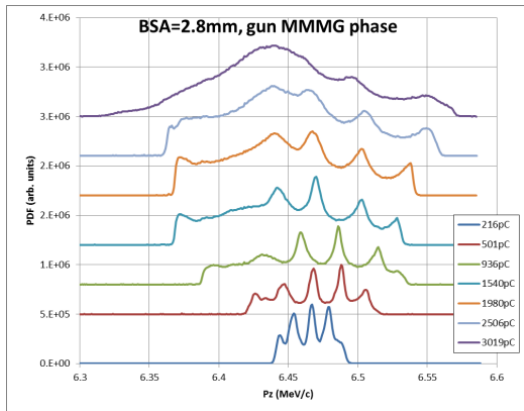
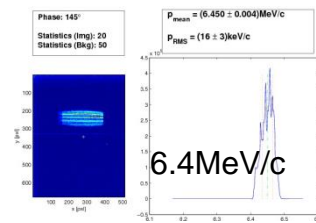
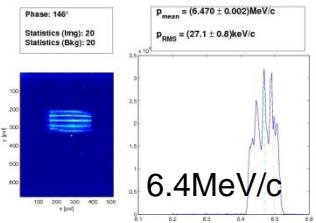
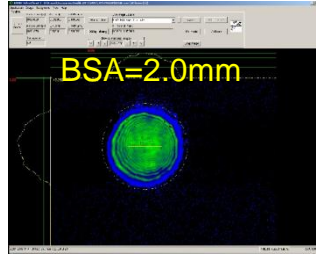
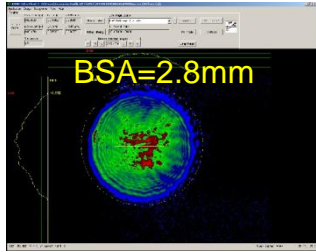
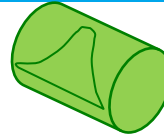
# Conclusions and Outlook

- > The Photo Injector Test facility at DESY in Zeuthen (PITZ) → **high brightness** electron sources for SASE FELs:
  - **Low transverse emittance** has been experimentally achieved
  - Still **discrepancies** between measured and simulated machine parameters
- > Possible reasons of these discrepancies:
  - Imperfections (beam asymmetry) → compensation with gun quads
  - **Photoemission**
- > **Photoemission** studies:
  - Best experimental emittance → **space charge dominated** photoemission
  - Generally:  $Q_{\text{measured}} > Q_{\text{simulated}}$  (**ideal case**)
  - Transverse **Core+Halo** model helps better for Gaussian than for flattop temporal PC laser profiles
  - Could charge exceed be explained by **secondary emission**?
  - Still discrepancy measured-simulated **phase spaces**
  - “Phase offset” (1-3°) measured-to-simulated **zero-crossing RF phase** is not well understood
  - Slice energy spread:  $\delta E_{\text{measured}} \gg \delta E_{\text{simulated}}$
- > Outlook → new developments:
  - **3D ellipsoidal** cathode laser pulses → experiments with electron beams

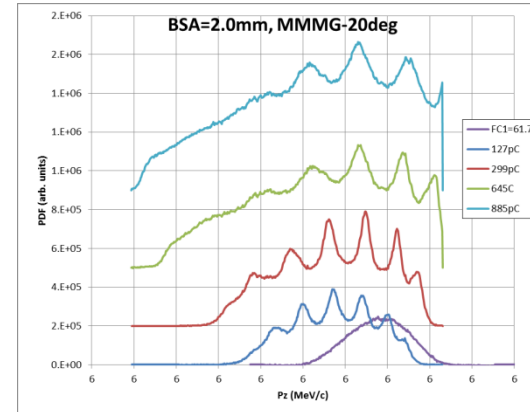
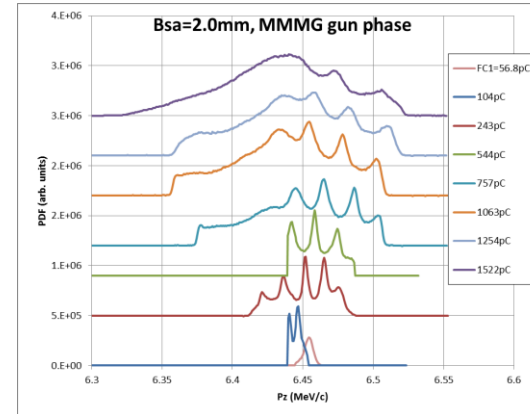
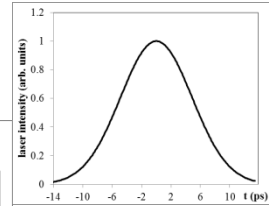
# Back up slides

# P<sub>z</sub>-modulation from the Gaussian PC laser pulses?

- E-beam momentum modulations observed in:  
LEDA (P<sub>z</sub>~6.4MeV/c) and HEDA1 (P<sub>z</sub>~22.1MeV/c)



Temporal profile	FWHM
Long Gaussian	~11-11.5ps



- ? Emitted charge → fields on surface that affects subsequent emissions → “oscillations induced by a sudden influx of charge can persist”.

Demonstration for Cu and Cs<sub>3</sub>Sb using PIC code MICHELLE

- J.J. Petillo et al., *IEE trans. Electron Devices* 52, 742 (2005)
- K.L. Jensen et al., *J. Vac. Sci. Technol.* 26 (2), 831 (2008)

Might be related to the PC laser temporal profile → investigations are ongoing